## Documents

Mansour, M. ${ }^{\text {a }}$, Obaid, M.A. ${ }^{\text {b }}$
Bounds of $\mathbf{q}$-factorial [ n$] \mathrm{ql}$
(2011) Ars Combinatoria, 102, pp. 313-319.
${ }^{a}$ King Abdul Aziz University, Faculty of Science, Mathematics Department, P. O. Box 80203, Jeddah 21589, Saudi Arabia
${ }^{\mathrm{b}}$ Department of Mathematics, Faculty of Science, Mansoura University, Mansoura 35516, Egypt

## Abstract

In this paper, we get the following upper and lower bounds for $q$-factorial $[n] q,!(q ; q) \infty(1-q)-n e f q(n+1) \& l t ;[n] q \mid(q ; q) \infty(1-q)-n e ~ g q(n+1)$ where $n \geq 1,0$ \<g\< 1 and the two sequences $\mathrm{f} q(\mathrm{n})$ and $\mathrm{gq}(\mathrm{n})$ tends to zero through positive values. Also, we present two examples of the two sequences $f q(n)$ and $g q(n)$.

## Author Keywords

Q-factorial; Q-gamma function; Stirling's formula
Document Type: Article
Source: Scopus

| About Scopus | Contact and Support | About Elsevier |
| :--- | :--- | :--- |
| What is Scopus | Contact and support | About Elsevier |
| Content coverage | Live Chat | About SciVerse |
| What do users think |  | About SciVal |
| Latest | Terms and Conditions | Privacy Policy |
| Tutorials |  |  |

Copyright © 2012 Elsevier B.V. All rights reserved. SciVerse $\circledR$ is a registered trademark of Elsevier Properties S.A., used under license. Scopus $®$ is a registered trademark of Elsevier B.V.

